

# MIDDLE-EAR MECHANICS AND SOUND LOCALIZATION IN THE LIZARD: A FINITE-ELEMENT APPROACH

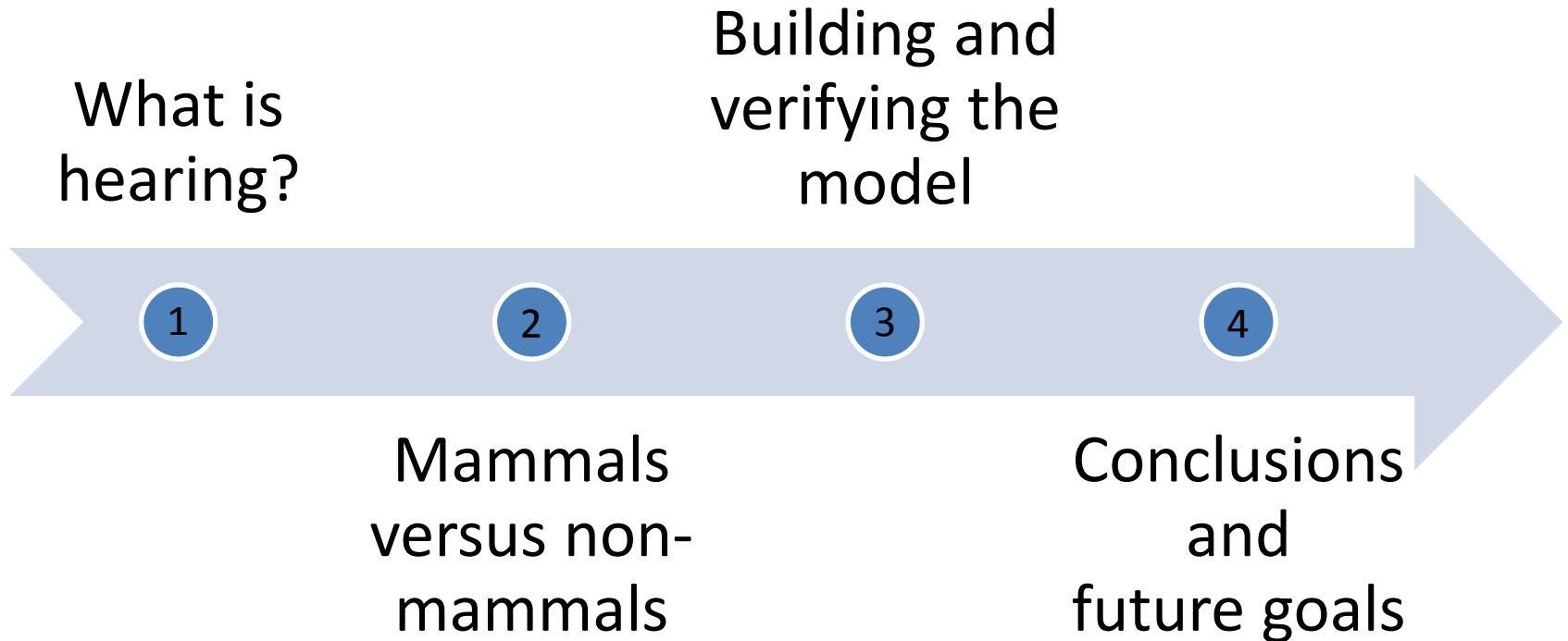
PIETER LIVENS



**BIMEF**

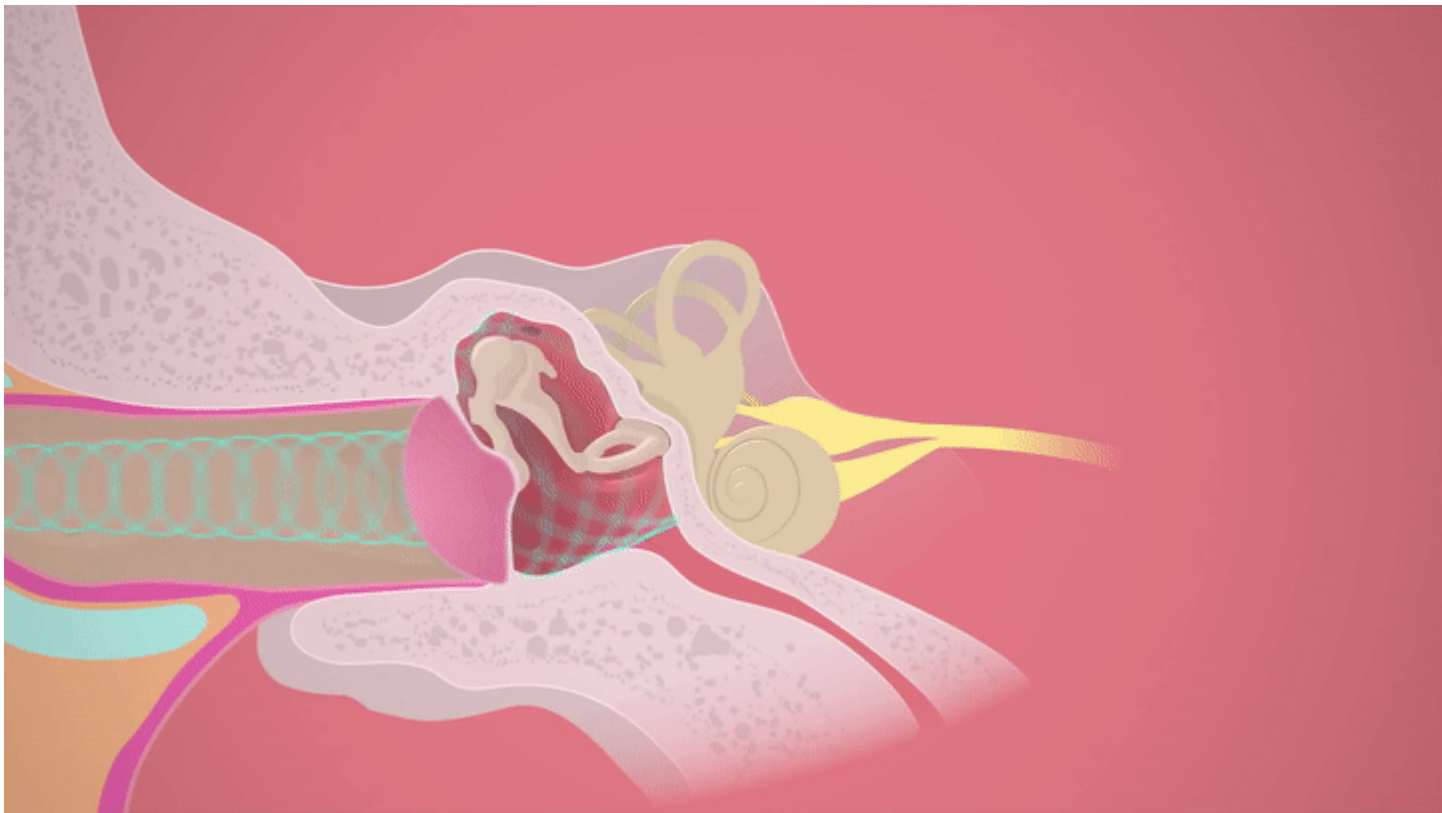
Biophysics and Biomedical Physics  
University of Antwerp

4<sup>th</sup> international workshop on  
VALIDATION OF COMPUTATIONAL  
MECHANICS MODELS



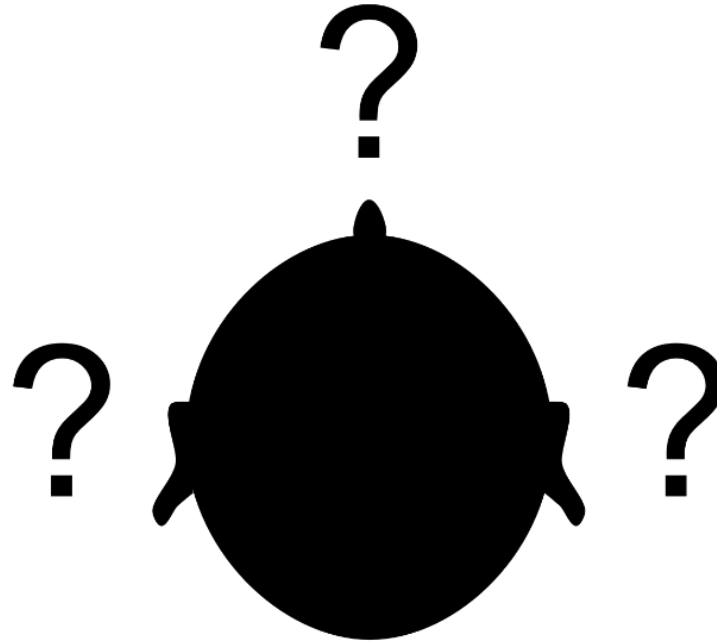
 Sound detection

 Sound localization



 Sound detection

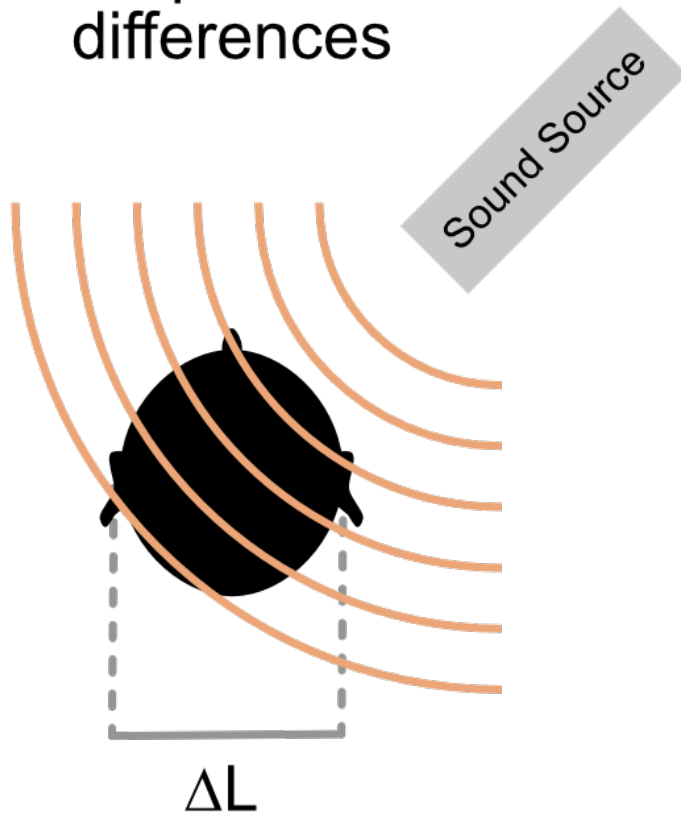
 Sound localization



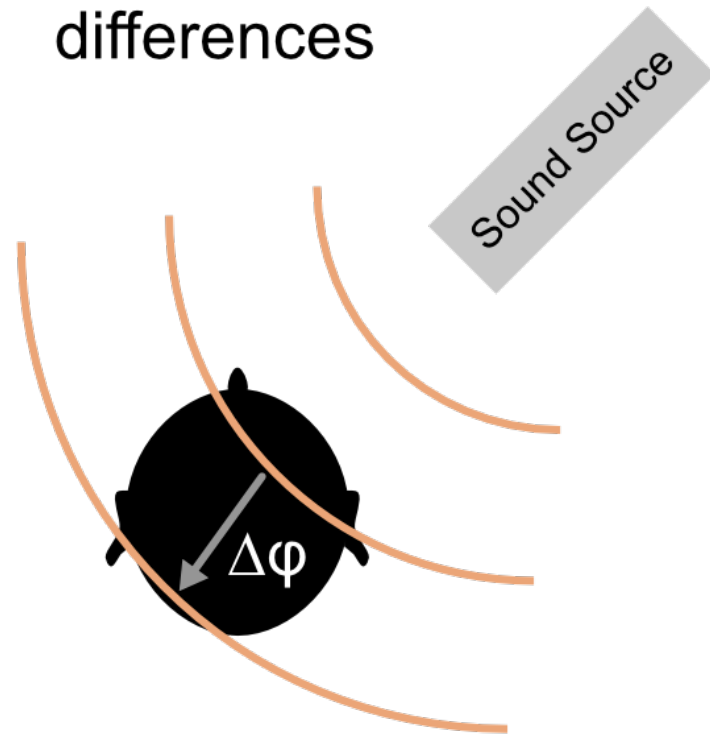
 Sound detection



 Sound localization

Amplitude differences

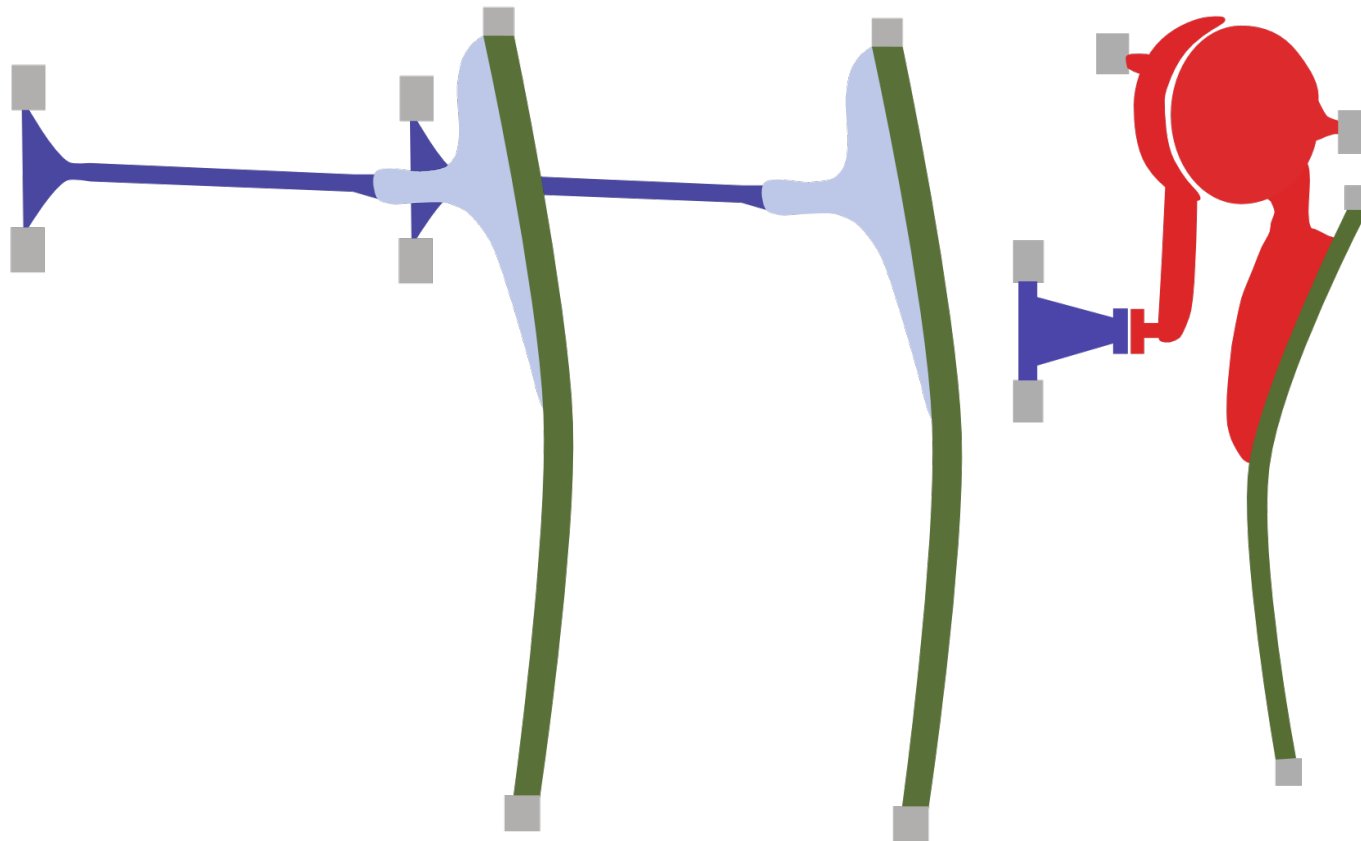


Time or Phase differences

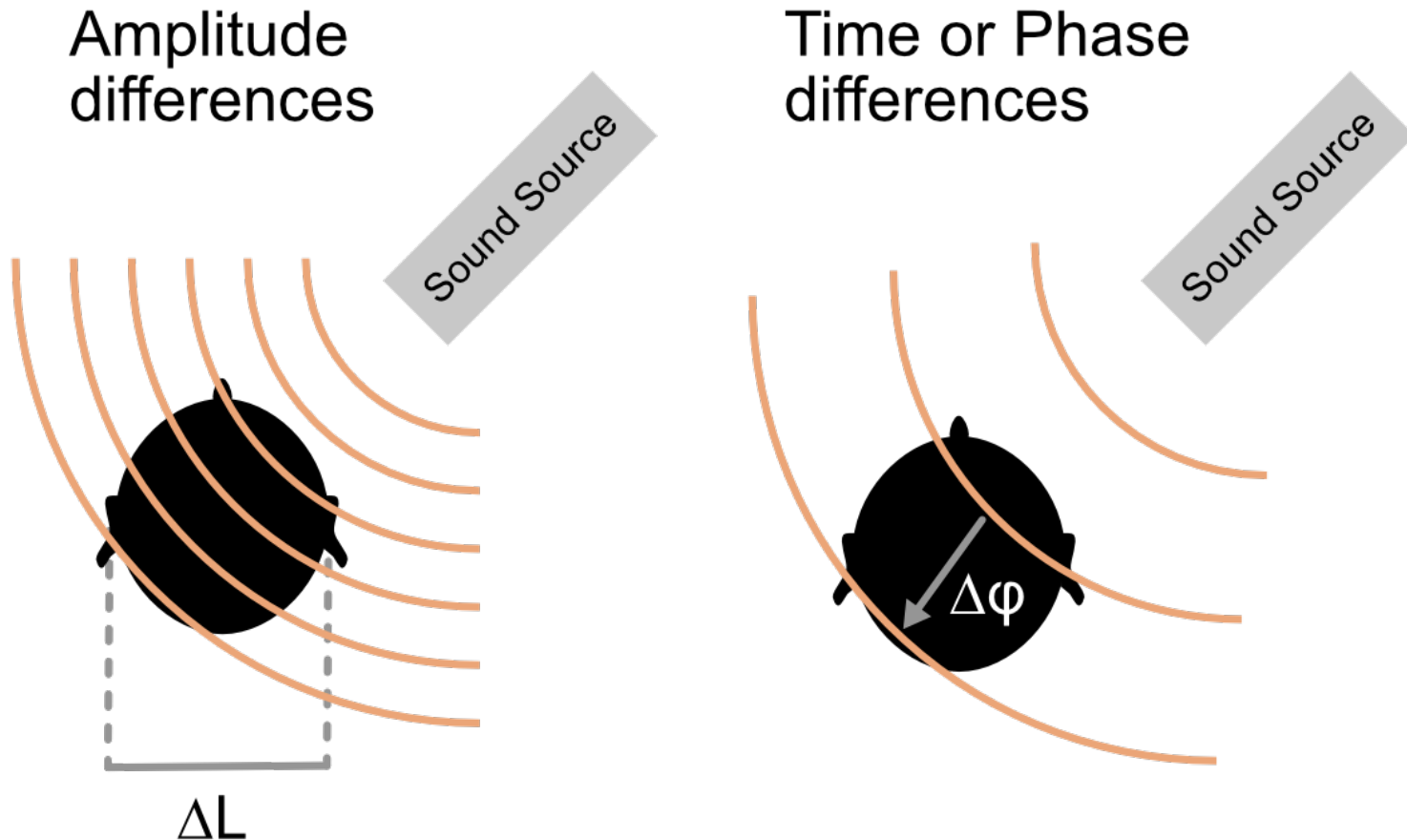


-  Does the previous explanation hold when investigating non-mammals?
-  **NO:** Different anatomy, different approaches to hearing

- 👂 NO: Different anatomy, different approaches to hearing
- 👂 Higher flexibility means lower audible frequencies of sound



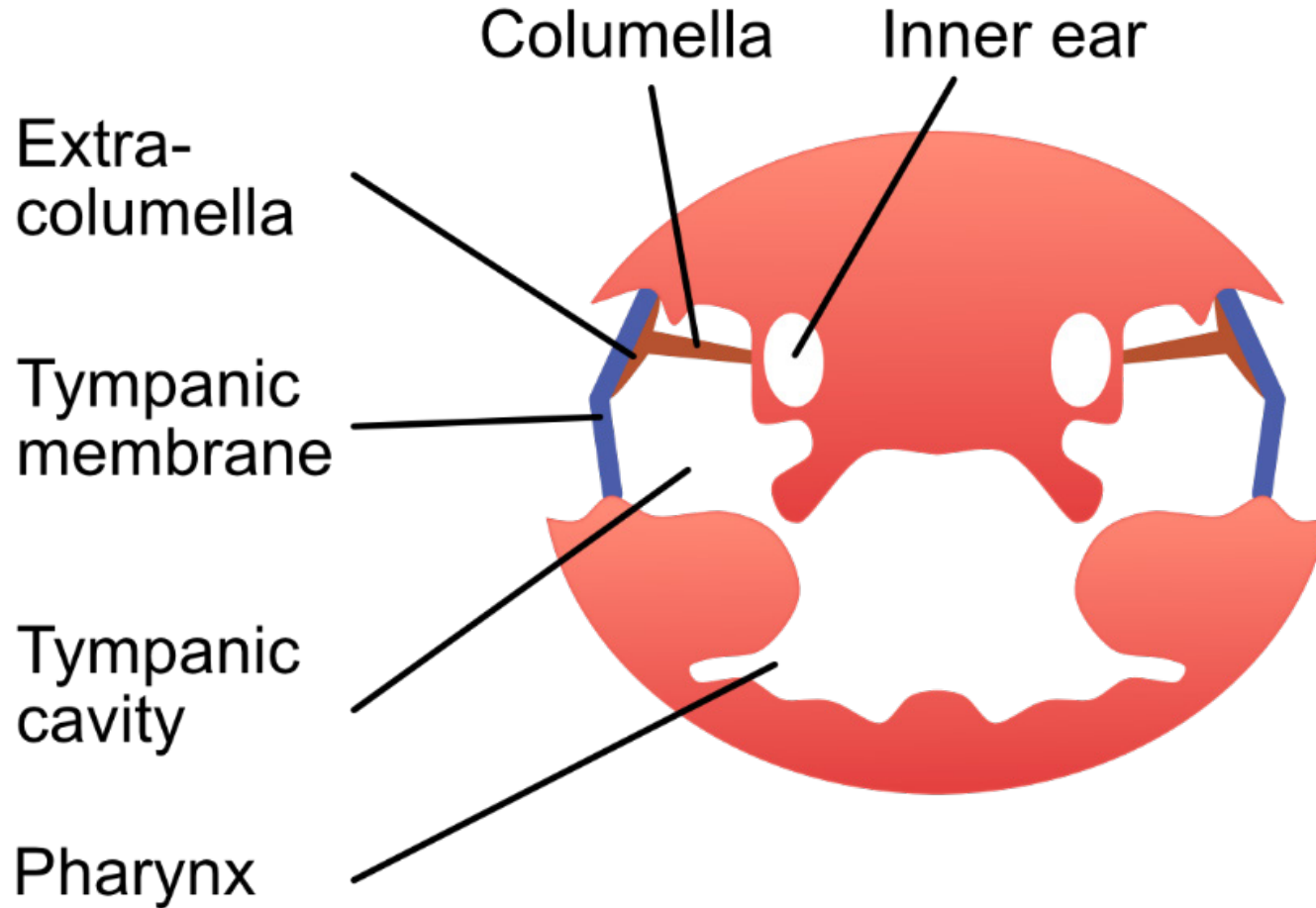
- Higher flexibility means lower audible frequencies of sound
- No external localization cues are possible



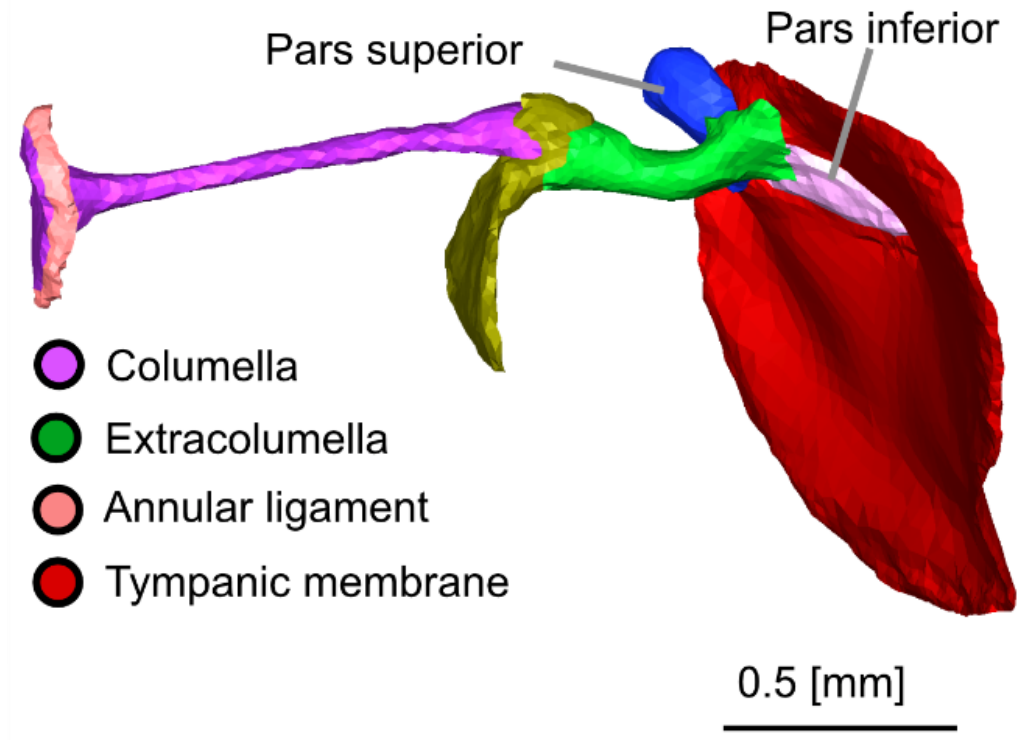


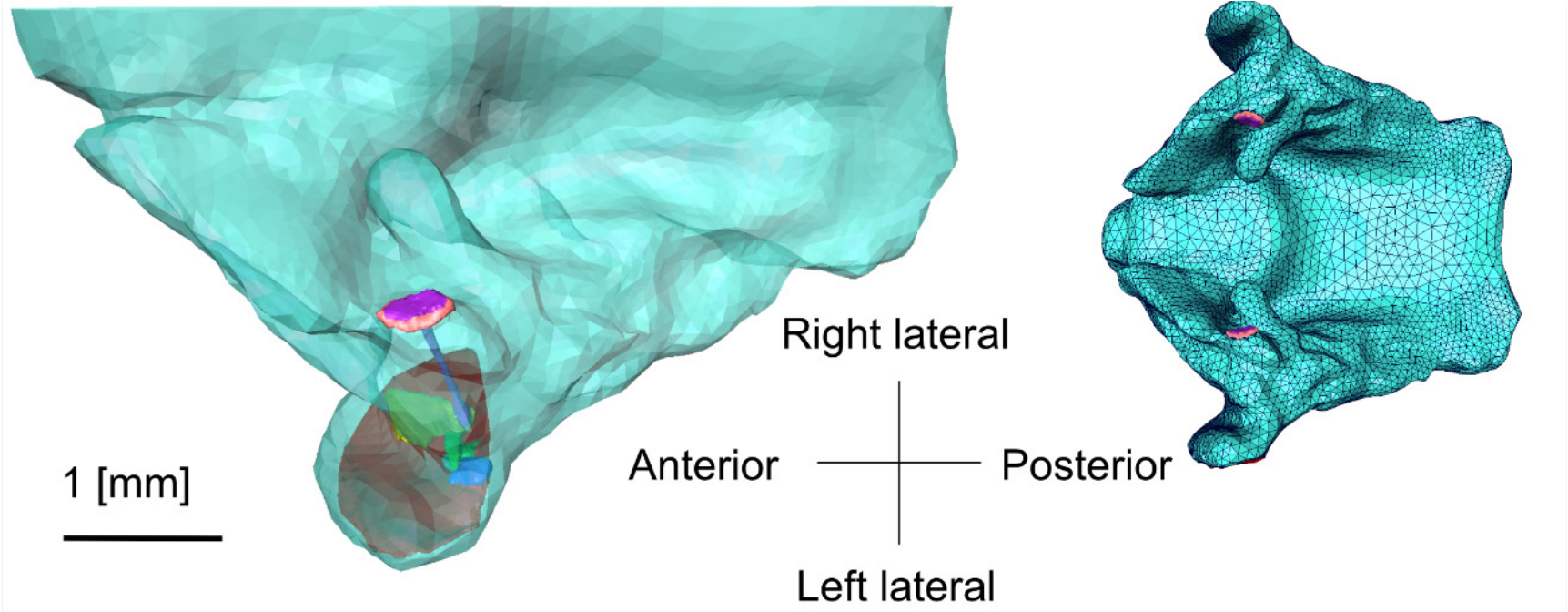




Lizards use internally generated amplitude and timing differences



- 👂 The Brown anole (*Anolis sagrei*) is small lizard
- 👂  $\mu$ CT scanning and subsequent image segmentation allows the creation of an accurate mesh for finite-element modelling



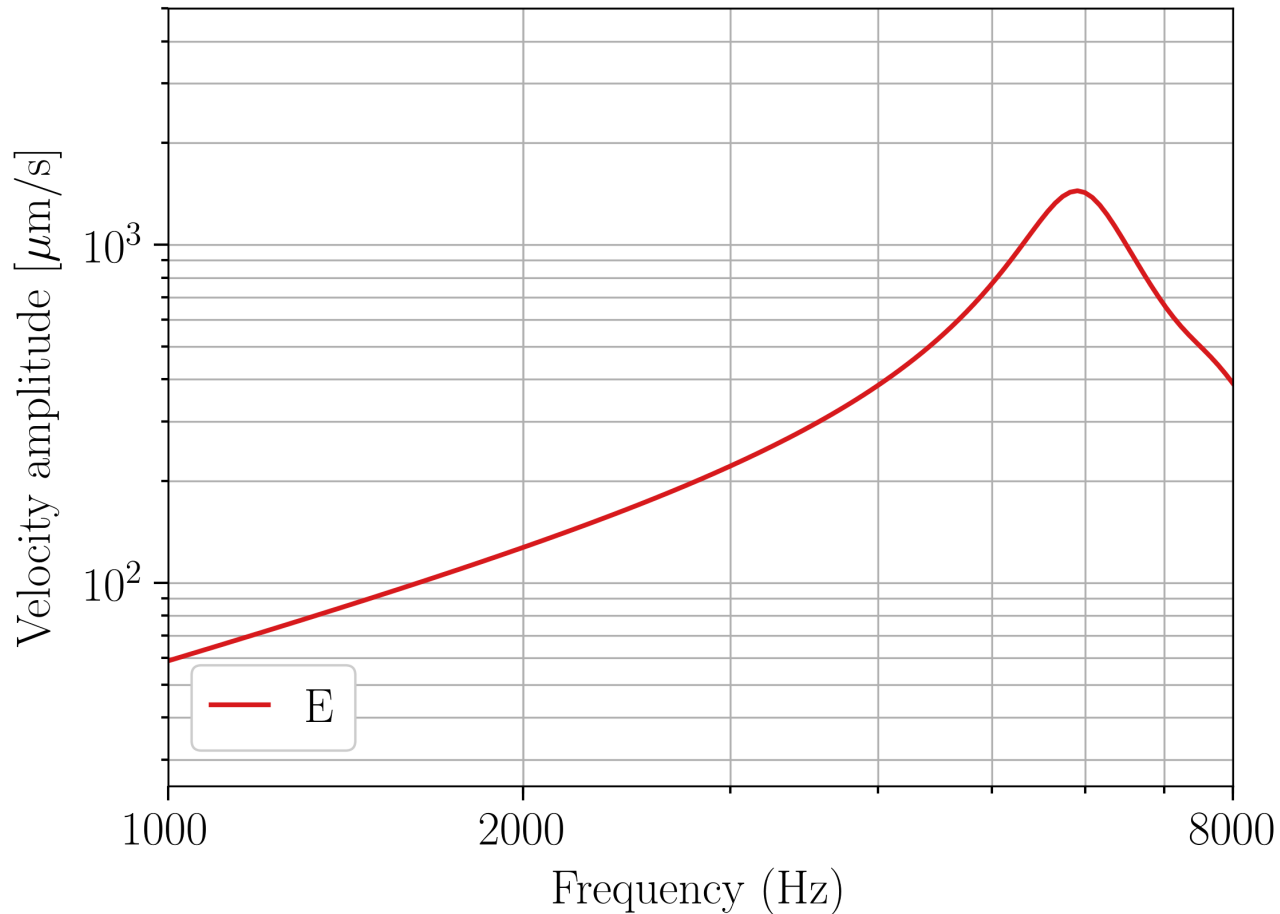


-  A larger amount of flexibility should be observed when compared to mammals
-  The eardrums should have a high amount of internal coupling



The estimated resonance frequency from literature<sup>2</sup> is 3.7 kHz

## Eardrum movement

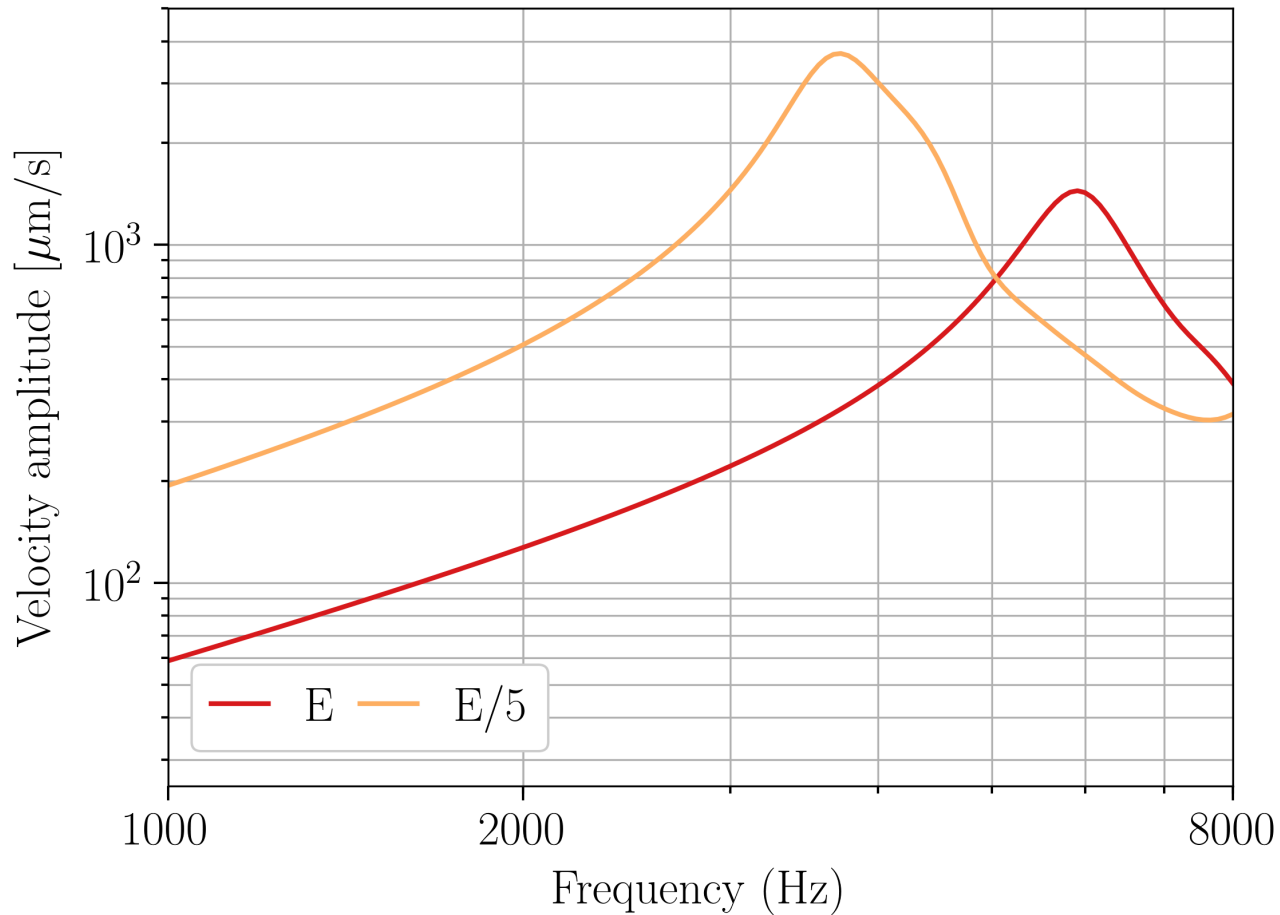


2) Christensen-Dalsgaard, J., Manley, G.A., 2008. Acoustical Coupling of Lizard Eardrums. JARO 9, 407–416



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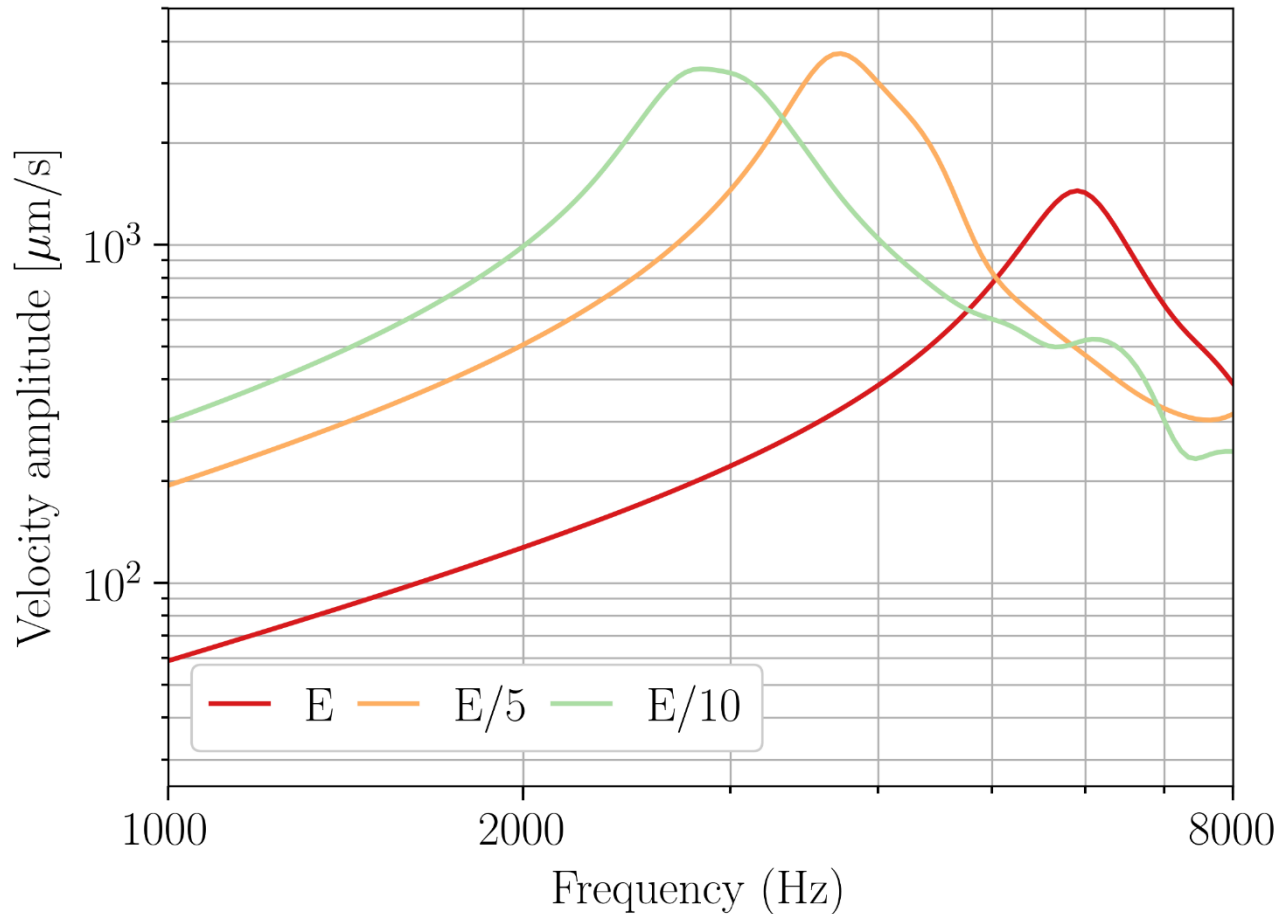


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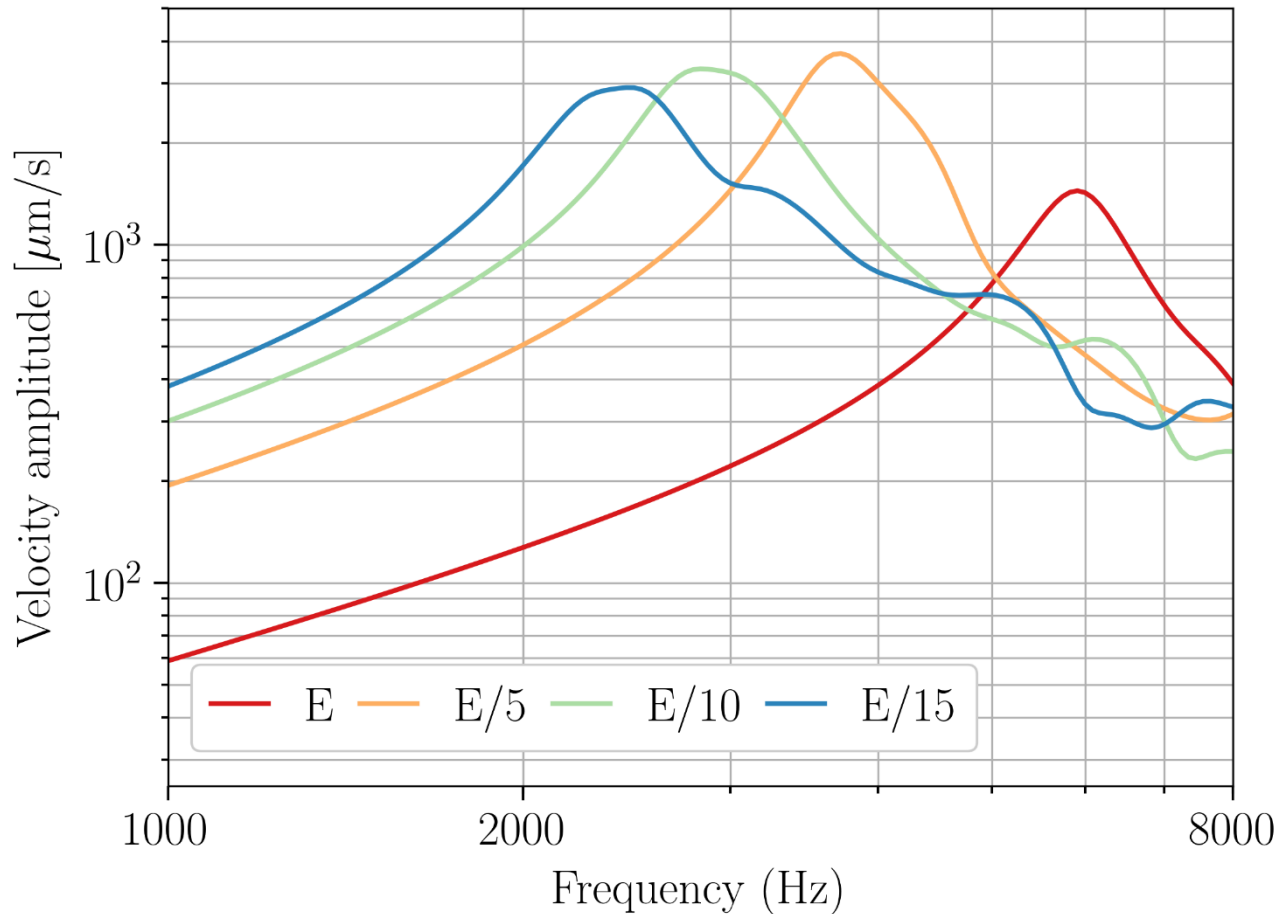


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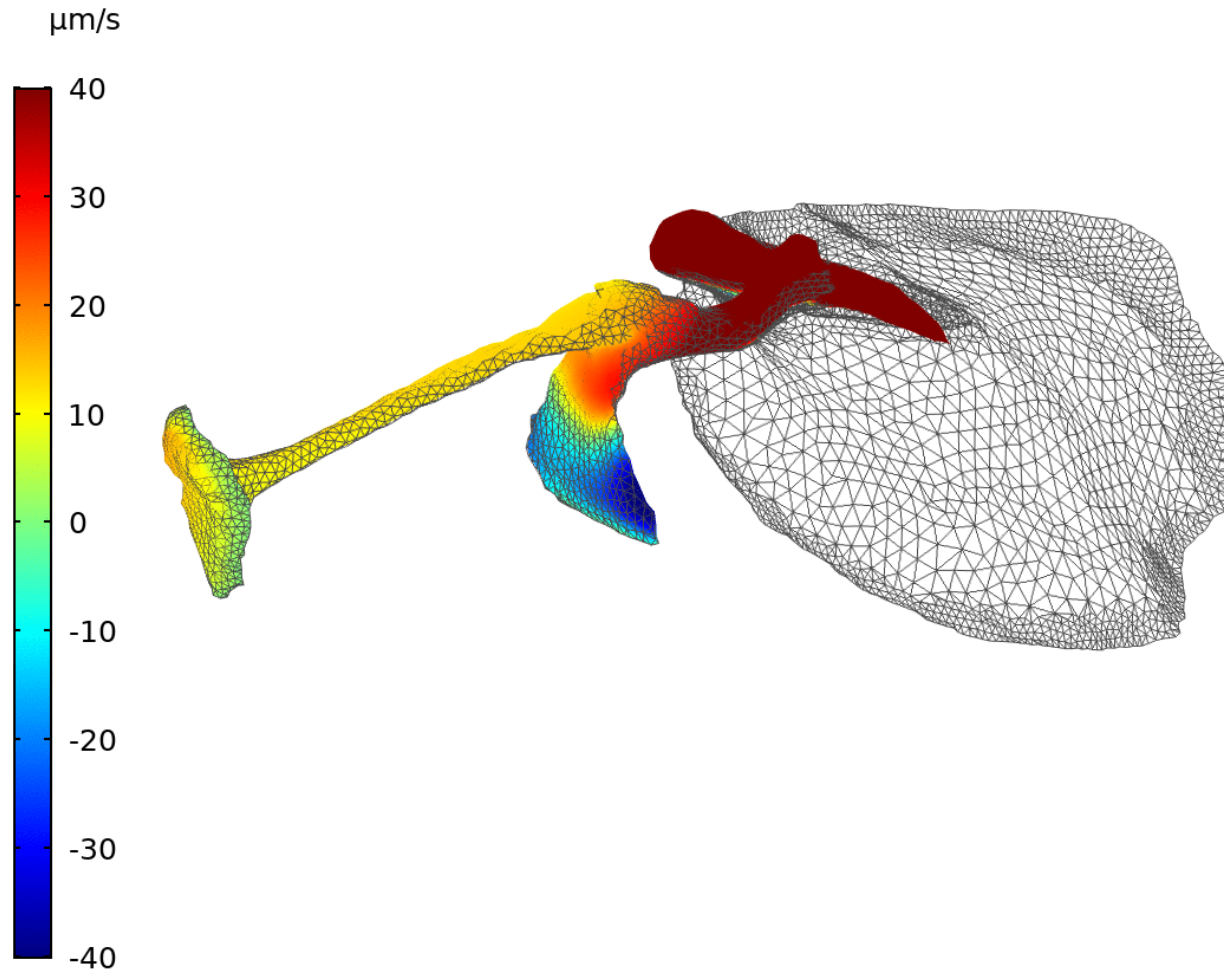
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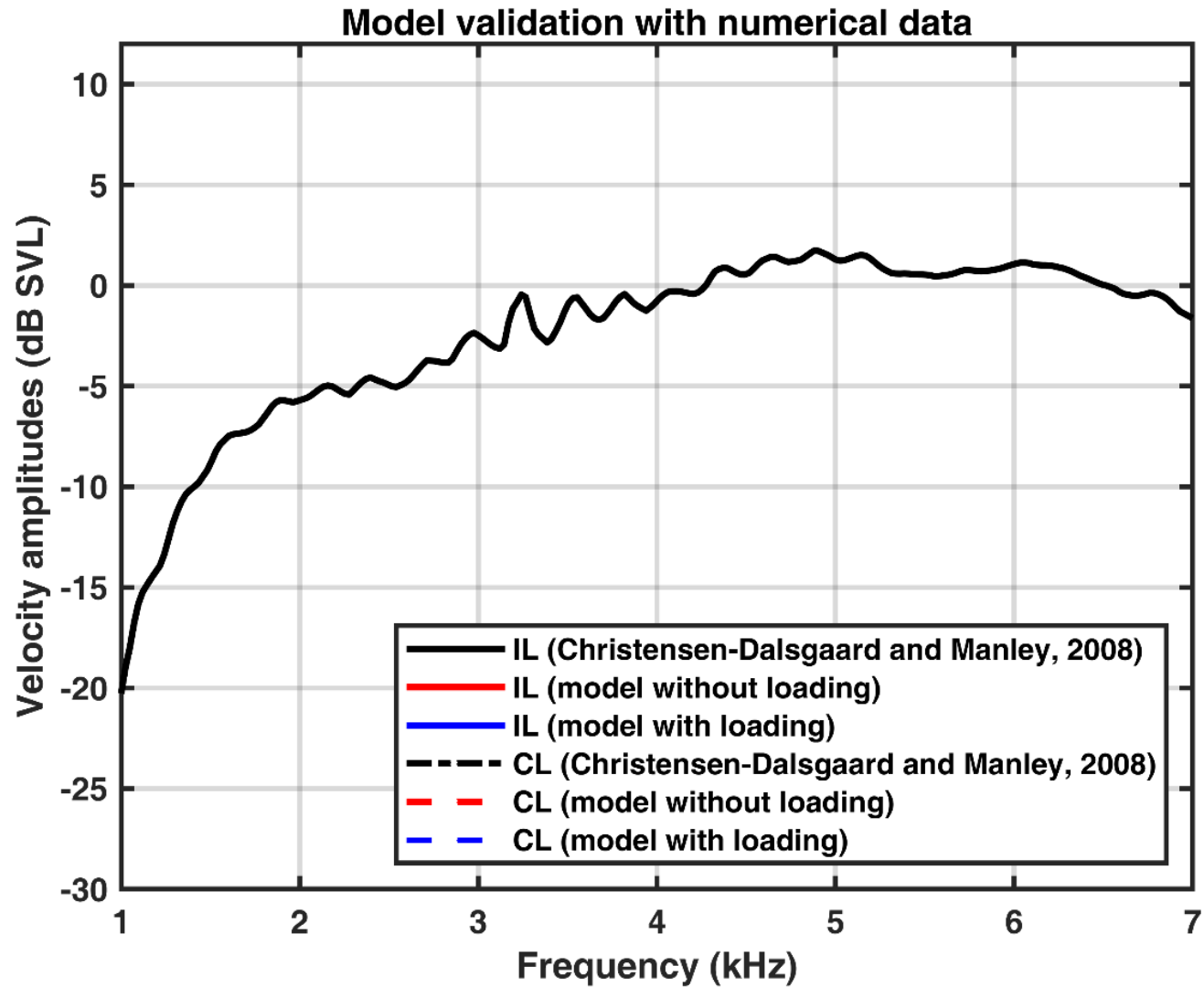


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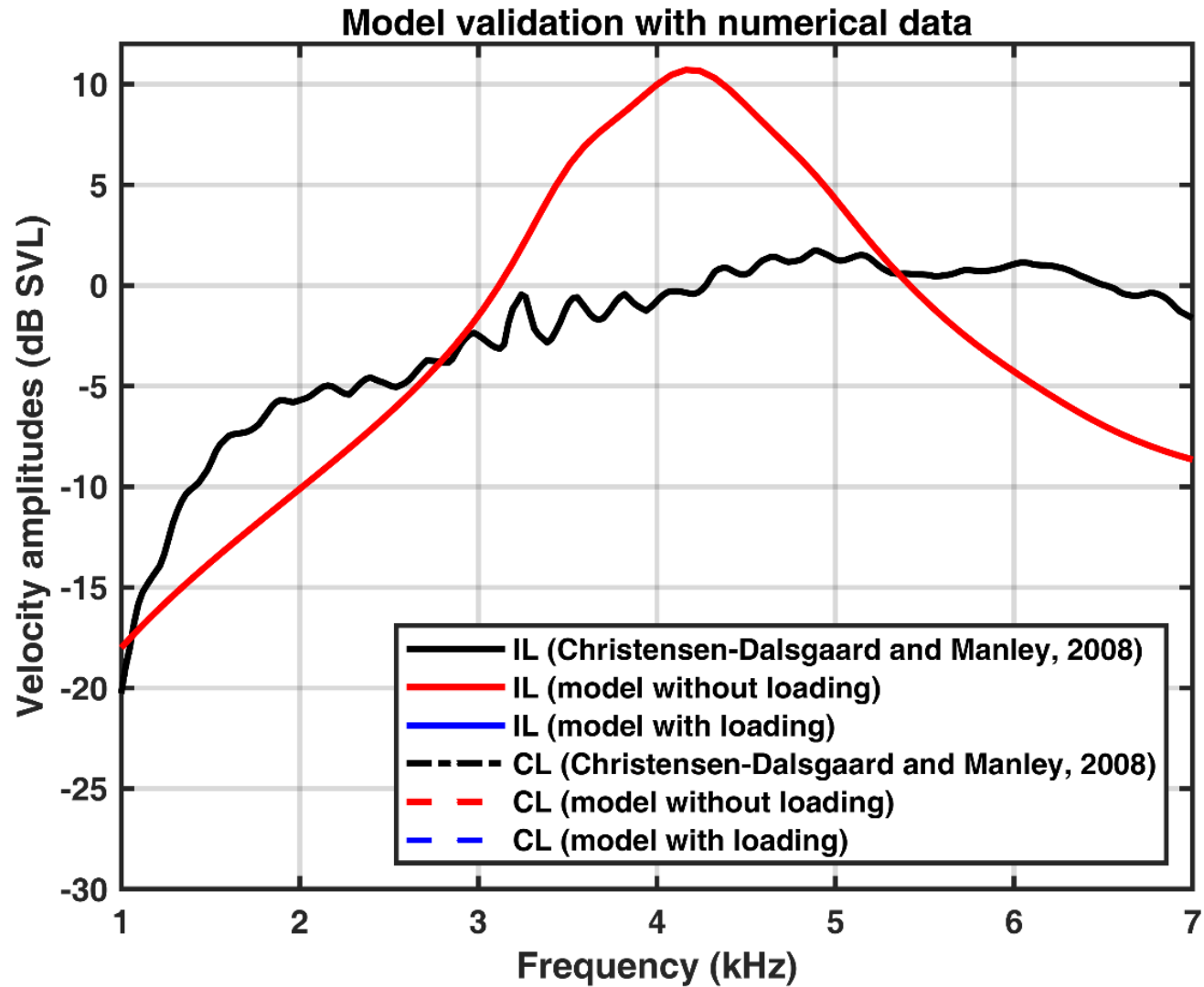
Middle ear motion at 3700 Hz



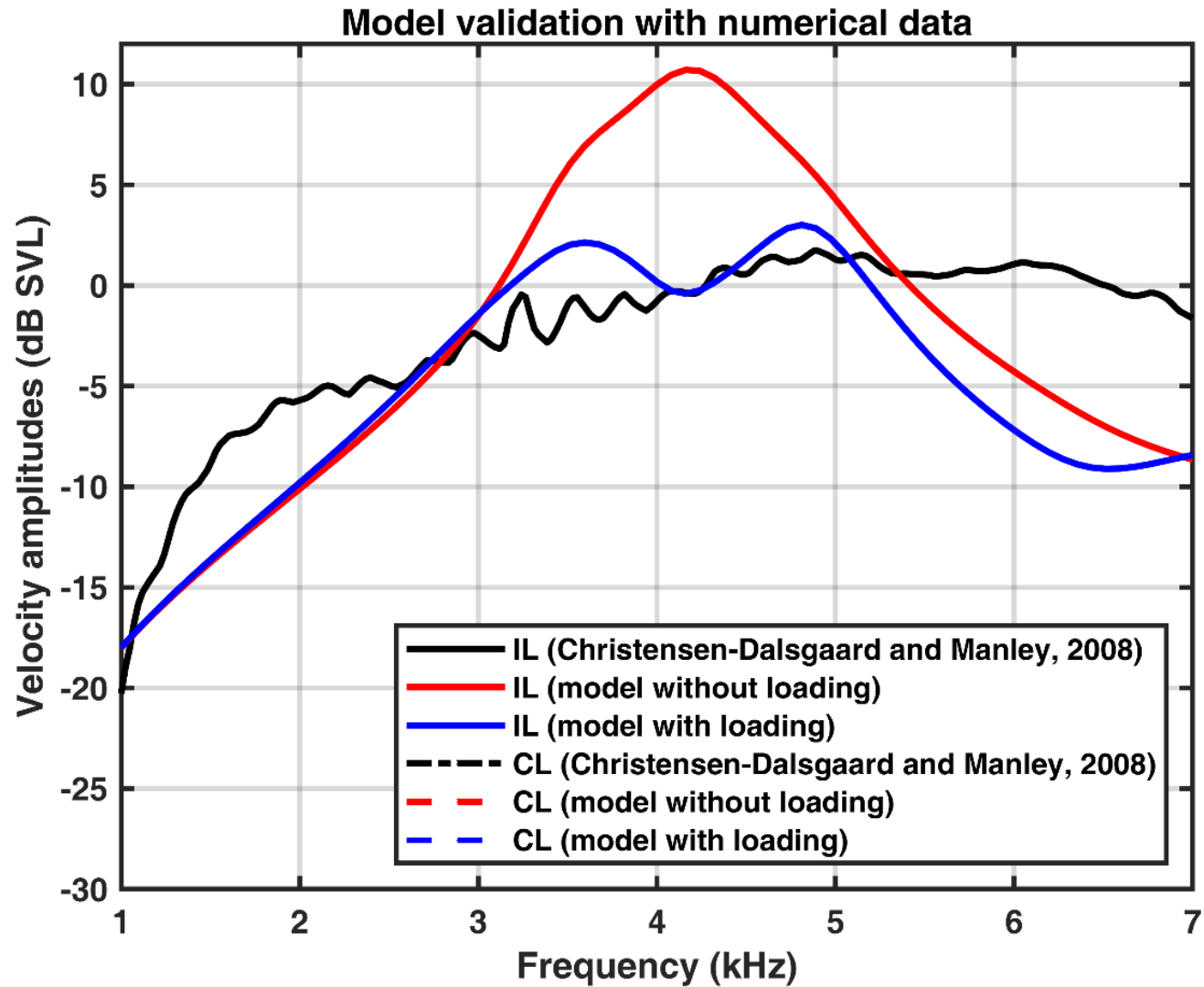




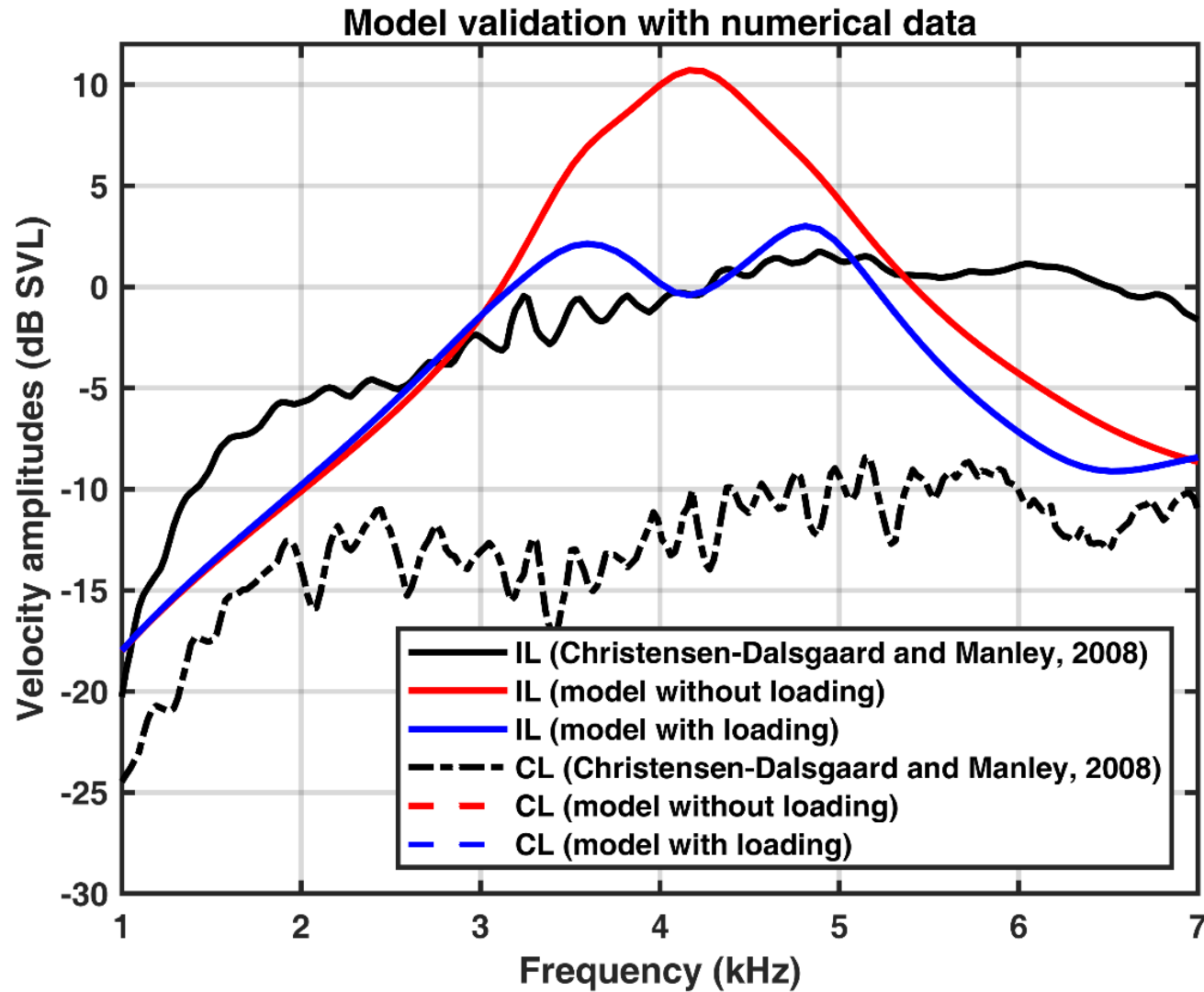
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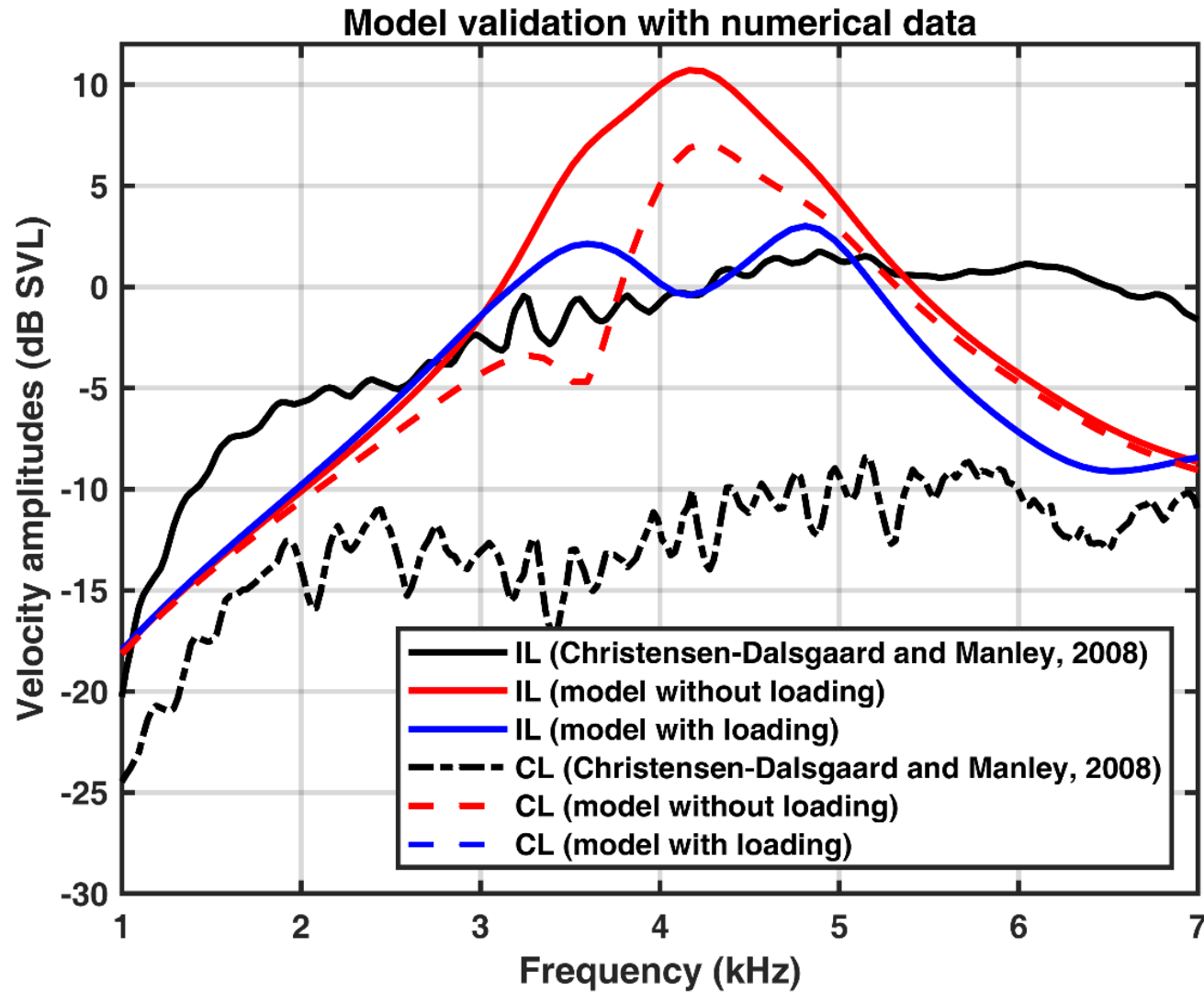
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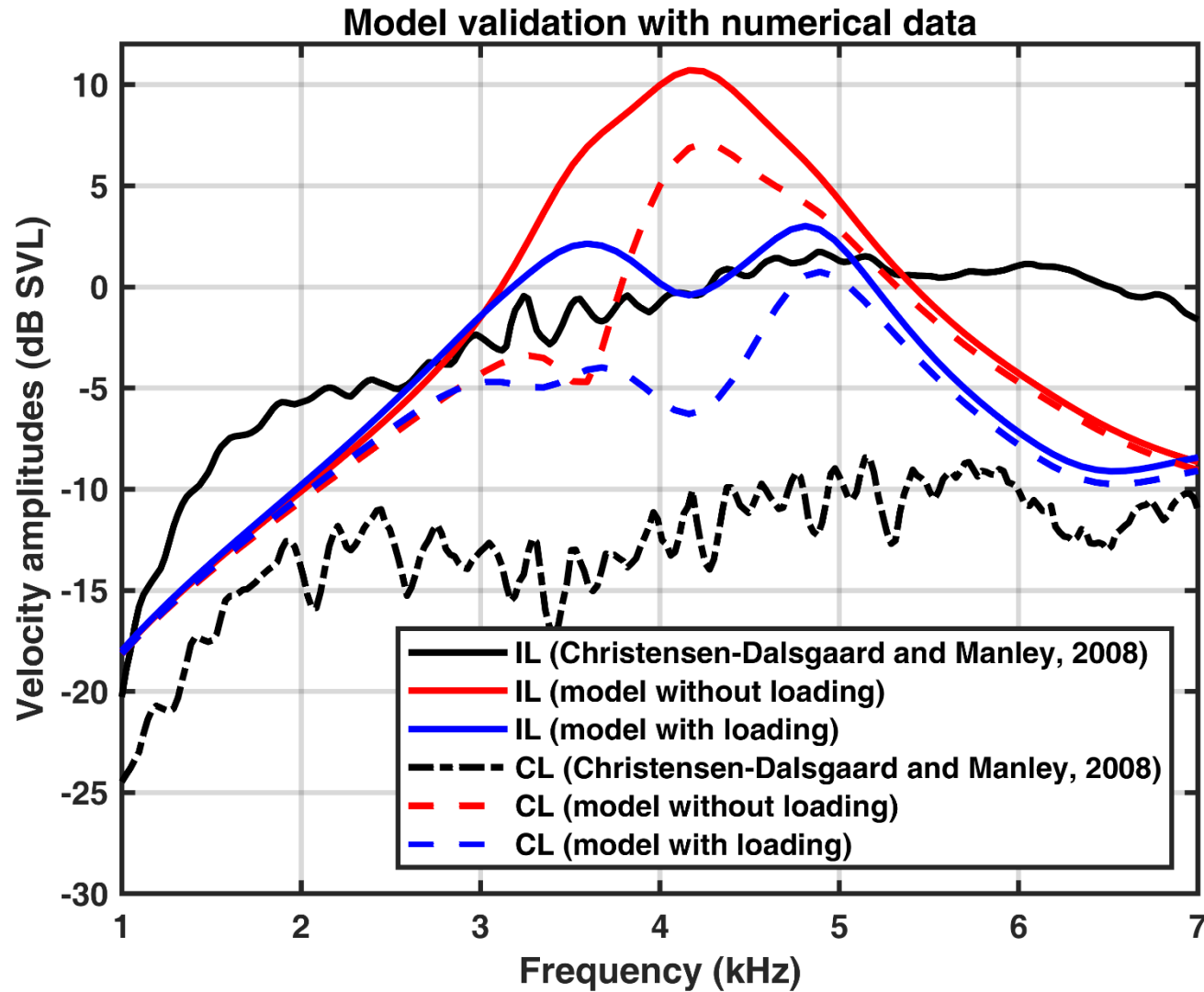
Christensen-Dalsgaard, J., Manley, G.A., 2008. Acoustical Coupling of Lizard Eardrums. JARO 9, 407–416.



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During the model construction, complexity is sequentially added

- Effect of different parameters are better observed
- Model changes have to express the added physics
- What physics to include remains up to the user



Model results were mainly validated compared to the experimental data

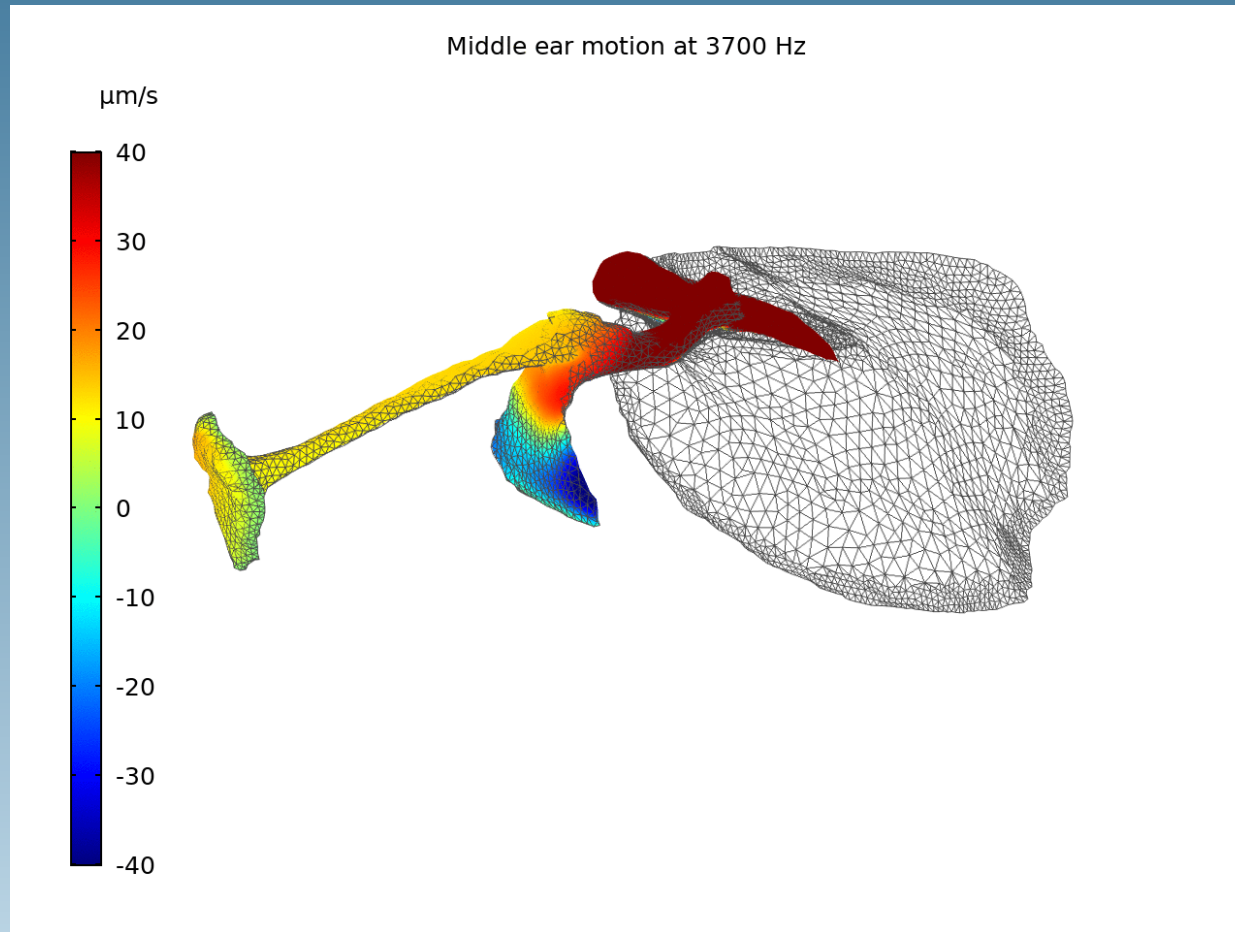
- Experimental data is scarce
- Material properties are not well known



More experimental data is being gathered to improve future models

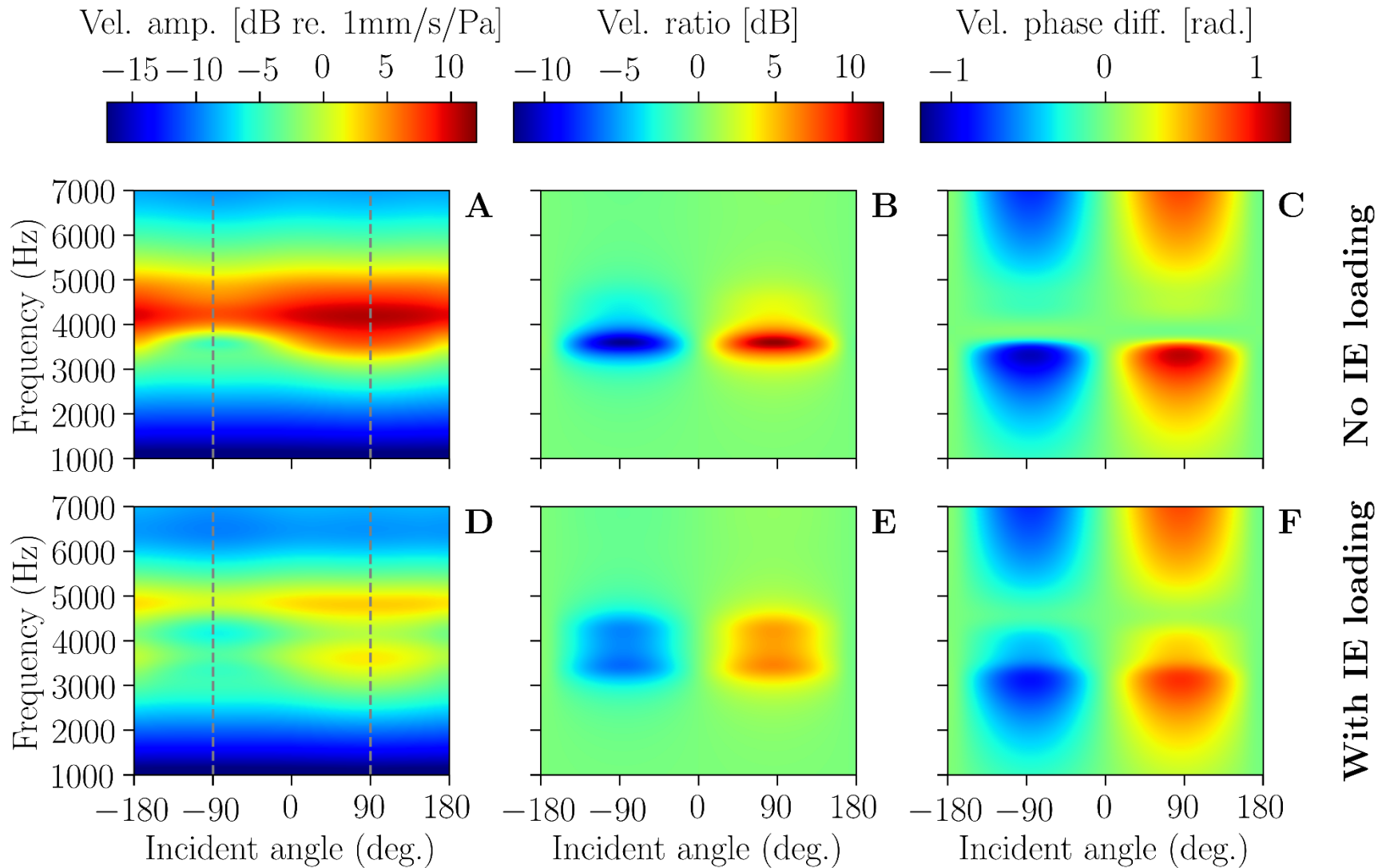
## Questions?


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Livens, P., Muyshondt, P.G.G., Dirckx, J.J.J., 2019.  
Sound localization in the lizard using internally coupled ears: A finite-element approach.  
Hearing Research.






 The IE is a fluid filled structure and adds significant resistance (impedance) to the middle ear

 The inner ear was modeled with a three parameter model for the impedance  $Z_{IE}$

$$Z_{IE} = R + i \left( M \cdot \omega - \frac{K}{\omega} \right)$$

 Values of  $M$ ,  $K$  and  $R$  were calculated based on measurements on the Ostrich (e.g.,  $m \sim x^3$  and  $M = m/A^2$  so  $M \sim 1/x$ )

 The pressure on the footplate is then found as

$$P = Z_{IE} \cdot U_{FP}$$